

# Machine Learning Introduction and Exemplary Application in Embedded Wireless Platforms

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# Agenda

- Machine learning (ML) fundamentals
  - A brief history of artificial intelligence
  - The five tribes of machine learning
  - The tasks of ML algorithms
  - Regression as illustrative example
  - Deeper on neural networks
  - Generalized linear models
  - Theoretical machine learning
- Cognitive power control: ML in practice

# A brief history of artificial intelligence

Machine learning fundamentals

- Inspired from 3 different fields (McCulloch and Pitts, 1943) [1]:
  - Functions of biological neurons
  - Formal analysis (Russel and Whitehead)
  - Theory of computation (Alan Turing)
- Computing Machinery and Intelligence (Alan Turing, 1950) [2]:
  - Turing test, machine learning, genetic algorithms and reinforcement learning
- Darmouth seminar (John McCarthy, 1956) [3]:
  - Artificial intelligence, Logic Theorist (LT) of Newell and Simon
- Perceptron (Frank Rosenblatt, 1962) [4]:
  - Convergence theorem (Block et al., 1962) [5]

# A brief history of artificial intelligence

Machine learning fundamentals

- The AI failures or „AI winter“:
  - Machine translation (1966) [6], automatic theorem proof, Lighthill report (1973) [7], limited representation capabilities of perceptrons
- Expert systems (1980 – early 1990s):
  - DENDRAL program (Buchanan et al., 1969) [8], MYCIN program for blood diseases comparable to domain experts (450 simple rules) [9], first commercial success with XCON (1980)
  - Expensive and difficult to maintain
- Backpropagation [10]:
  - Steepest descent with chain rule (Bryson et al., 1969)
  - First neural network application (Werbos, 1982)

# A brief history of artificial intelligence

Machine learning fundamentals

- AI as a science (1990s):
  - Methodology driven by rigorous statistical analysis (Cohen, 1995) [11]
  - Hidden Markov models (speech recognition), information theory (automatic translation), Bayesian networks (reasoning), support vector machines, random forest...
- Recent achievements:
  - Audio: speech recognition based on LSTM (Hochreiter, Schmidhuber and Gers), lip reading, audio generation
  - Image/video: OCR with CNN, *cat network* recognition in videos (2012) [12], self-driving cars
  - Generative adversarial networks, reinforcement learning
- Communications, data availability, computational power, better algos
- Does the AI world run on neural networks?

# The five tribes of machine learning

Machine learning fundamentals

- Inspiration and source of knowledge:
  - Evolution, experience, culture, computers
- Paradigms of ML (Pedro Domingos, 2015) [13]:

Tribe	Origins	Master Algorithm
Symbolists	Logic, philosophy	Inverse deduction
Connectionnists	Neuroscience	Backpropagation
Evolutionnaries	Evolutionary biology	Genetic programming
Bayesians	Statistics	Probabilistic inference
Analogizers	Psychology	Kernel machines

# The tasks of ML algorithms

Machine learning fundamentals

- Learning tasks:
  - Supervised: What is the best mapping function between inputs and outputs?
  - Unsupervised: What makes 2 samples similar?
  - Semi-supervised: Can we cluster unlabelled data and learn efficiently under this uncertainty?
  - Reinforcement learning: Given the rules and the goal to achieve, how can I optimize myself?
- Numerical data type:
  - Classification / regression
- Statistical data type:
  - Binary / categorical / ordinal / binomial / count / real-valued additive / real-valued multiplicative
- Multivariate and/or multidimensional

# Regression as illustrative example

Machine learning fundamentals

- Roadmap:
  - Least square regression
  - Gradient descent
  - Maximum likelihood
  - Maximum a posteriori
  - Bayesian linear regression
  - Gaussian process



# Least square regression

Machine learning fundamentals > Regression as illustrative example

- Training set:  $D = \{(\mathbf{x}^{(j)}, y^{(j)})\}_{j=1}^m$   
 Input  $\xrightarrow{\quad}$  Target
- Hypothesis:  $\mathbf{x} \rightarrow h_{\boldsymbol{\theta}}(\mathbf{x}) = \boldsymbol{\theta}^T \mathbf{x} = \sum_{i=1}^n \theta_i x_i$
- Cost function:  $e(\boldsymbol{\theta}) = \frac{1}{2} \sum_{j=1}^m [h_{\boldsymbol{\theta}}(\mathbf{x}^{(j)}) - y^{(j)}]^2$   
 Output
- Objective:  $\boldsymbol{\theta}_{min} = \underset{\boldsymbol{\theta}}{\operatorname{argmin}} e(\boldsymbol{\theta})$

- Normal equations:

Given

$$\mathbf{X} = \begin{pmatrix} x_1^{(1)} & \cdots & x_n^{(1)} \\ \vdots & \ddots & \vdots \\ x_1^{(m)} & \cdots & x_n^{(m)} \end{pmatrix} \quad \mathbf{y} = \begin{pmatrix} y^{(1)} \\ \vdots \\ y^{(m)} \end{pmatrix}$$

, the analytical solution is

$$\boldsymbol{\theta} = (\mathbf{X}^T \mathbf{X})^{-1} \mathbf{X}^T \mathbf{y}$$

# Gradient descent

Machine learning fundamentals > Regression as illustrative example

- Update rule for one training sample:

$$\theta_i := \theta_i - \underbrace{\alpha \frac{\partial}{\partial \theta_i} e(\boldsymbol{\theta})}_{\text{Learning rate} \rightarrow} \quad \frac{\partial}{\partial \theta_i} e(\boldsymbol{\theta}) = \frac{\partial}{\partial \theta_i} \frac{1}{2} [h_{\boldsymbol{\theta}}(\mathbf{x}) - y]^2 = [h_{\boldsymbol{\theta}}(\mathbf{x}) - y] x_i$$

$$\theta_i := \theta_i - \alpha [h_{\boldsymbol{\theta}}(\mathbf{x}^{(j)}) - y^{(j)}] x_i^{(j)} \quad , \forall i \in \llbracket 1, n \rrbracket$$

- Multiple training samples:

– Batch:

$$\theta_i := \theta_i - \alpha \sum_{j=1}^m [h_{\boldsymbol{\theta}}(\mathbf{x}^{(j)}) - y^{(j)}] x_i^{(j)}$$

– Stochastic (incremental):

For  $j := 1$  to  $m$

$$\theta_i := \theta_i - \alpha [h_{\boldsymbol{\theta}}(\mathbf{x}^{(j)}) - y^{(j)}] x_i^{(j)}$$

# Maximum likelihood

Machine learning fundamentals > Regression as illustrative example

- Probabilistic interpretation:  $y^{(j)} = \boldsymbol{\theta}^T \mathbf{x}^{(j)} + \varepsilon^{(j)}$   $\varepsilon^{(j)} \sim N(0, \sigma^2)$  IID

$$p(y^{(j)} | \mathbf{x}^{(j)}, \boldsymbol{\theta}) = \frac{1}{\sqrt{2\pi}\sigma} \exp\left(-\frac{(y^{(j)} - \boldsymbol{\theta}^T \mathbf{x}^{(j)})^2}{2\sigma^2}\right)$$

- Maximum likelihood:  $\boldsymbol{\theta}_{MLE} = \underset{\boldsymbol{\theta}}{\operatorname{argmax}} p(D | \boldsymbol{\theta})$

Maximize  $L(\boldsymbol{\theta}) = \prod_{j=1}^m p(y^{(j)} | \mathbf{x}^{(j)}, \boldsymbol{\theta})$

Maximize  $l(\boldsymbol{\theta}) = \log L(\boldsymbol{\theta}) = m \log \frac{1}{\sqrt{2\pi}\sigma} - \underbrace{\frac{1}{2\sigma^2} \sum_{j=1}^m (y^{(j)} - \boldsymbol{\theta}^T \mathbf{x}^{(j)})^2}_{\text{To minimize}}$

(Least square equivalent to MLE + Gaussian noise model)

# Maximum a posteriori

Machine learning fundamentals > Regression as illustrative example

- MAP estimator:

$$\boldsymbol{\theta}_{MAP} = \underset{\boldsymbol{\theta}}{\operatorname{argmax}} p(\boldsymbol{\theta}|D) = \underset{\boldsymbol{\theta}}{\operatorname{argmax}} \frac{p(D|\boldsymbol{\theta})p(\boldsymbol{\theta})}{p(D)}$$

Likelihood

Prior

Marginal likelihood

Parameter posterior

- Univariate case:

Prior

$$p(\theta) = \frac{1}{\sqrt{2\pi}} \exp\left(-\frac{(\theta - \mu)^2}{2\sigma^2}\right) \sim N(\mu, 1)$$

Maximize

$$l(\boldsymbol{\theta}) = \log p(D|\boldsymbol{\theta}) + \log p(\boldsymbol{\theta})$$

$$= m \log \frac{1}{\sqrt{2\pi}\sigma} - \frac{1}{2\sigma^2} \sum_{j=1}^m \underbrace{(y^{(j)} - \boldsymbol{\theta}^T \mathbf{x}^{(j)})^2}_{\text{MLE}} + \log \frac{1}{\sqrt{2\pi}} - \frac{1}{2} \underbrace{(\theta - \mu)^2}_{\text{Prevent overfitting}}$$

MLE

Prevent overfitting

- Regularization:

– Ridge regression (L2), LASSO regression (L1), Elastic Net (L1+L2)

# Bayesian linear regression

Machine learning fundamentals > Regression as illustrative example

- Goal:
  - For the moment, we only have a point estimate of  $p(\boldsymbol{\theta}|D)$
  - We want to have an analytical form of  $p(\boldsymbol{\theta}|D)$
- After some work (1-dim multivariate case):

Parameter posterior:  $\boldsymbol{\theta}|D \sim N\left(\frac{1}{\sigma^2}\mathbf{A}^{-1}\mathbf{X}^T\mathbf{y}, \mathbf{A}^{-1}\right)$  with  $\mathbf{A} = \frac{1}{\sigma^2}\mathbf{X}^T\mathbf{X} + \frac{1}{\tau^2}\mathbf{I}$  and  $\boldsymbol{\theta} \sim N(\mathbf{0}, \tau^2)$

Posterior predictive (using  $p(y_*|\mathbf{x}_*, D) = \int p(y_*|\mathbf{x}_*, \boldsymbol{\theta}) p(\boldsymbol{\theta}|D) d\boldsymbol{\theta}$ ):

$$y_*|\mathbf{x}_*, D \sim N\left(\underbrace{\frac{1}{\sigma^2}\mathbf{x}_*^T\mathbf{A}^{-1}\mathbf{X}^T\mathbf{y}}_{\text{Normal equations}}, \mathbf{x}_*^T\mathbf{A}^{-1}\mathbf{x}_* + \sigma^2\right)$$

Normal equations when  $\tau \rightarrow 0$ , everything is fine

# Gaussian process

Machine learning fundamentals > Regression as illustrative example

- Goal:
  - For the moment, we have the posterior predictive distribution for a linear IO relationship
  - We want to be able to model any kind of IO relationship
- Definition:
  - A Gaussian Process (GP) is a collection of random variables. Any finite set of the collection follows a joint Gaussian distribution.
  - Notation:  $f(\mathbf{x}) \sim GP(m(\mathbf{x}), k(\mathbf{x}, \mathbf{x}'))$  with  $k$  a covariance function (i.e., psd)
- Idea:
  - We compute a distribution over a function instead of a distribution over parameters
  - Direct link between the prior and the posterior predictive, no need to marginalize over parameters

(\*) The demonstration requires some time

# Gaussian process

Machine learning fundamentals > Regression as illustrative example

- Basic GP:  $\begin{bmatrix} \mathbf{y} \\ \mathbf{f}^* \end{bmatrix} \sim N\left(0, \begin{bmatrix} \mathbf{K} & \mathbf{K}_* \\ \mathbf{K}_*^T & \mathbf{K}_{**} \end{bmatrix}\right)$  with  $\mathbf{y} = \mathbf{f}$  the target vector and  $\mathbf{f}^*$  the testing output (prediction)
- Noisy GP:  $\begin{bmatrix} \mathbf{y} \\ \mathbf{f}^* \end{bmatrix} \sim N\left(0, \begin{bmatrix} \mathbf{K} + \sigma^2 \mathbf{I} & \mathbf{K}_* \\ \mathbf{K}_*^T & \mathbf{K}_{**} \end{bmatrix}\right)$  with  $\mathbf{y} = \mathbf{f} + \varepsilon$  the target vector
- Using the multivariate Gaussian conditional distribution formula (\*):  

$$\mathbf{f}_* | \mathbf{x}_*, \mathbf{x}, \mathbf{y} \sim N(\mathbf{K}_*^T [\mathbf{K} + \sigma^2 \mathbf{I}]^{-1} \mathbf{y}, \mathbf{K}_{**} - \mathbf{K}_*^T [\mathbf{K} + \sigma^2 \mathbf{I}]^{-1} \mathbf{K}_*)$$
- Covariance function (also called *kernels*):
  - Type: use the knowledge of inputs relationships (symmetry, ...)
  - Parameters:  $\operatorname{argmax} p(\mathbf{y} | \mathbf{X})$  solved by gradient descent for example

# Neural networks

Machine learning fundamentals

- Roadmap:
  - Generalized linear models
  - Logistic regression
  - Feed-forward neural networks
  - Bias-variance dilemma
  - Convolutional neural networks
  - Recurrent neural networks



# Generalized linear models (1-dim)

- Exponential family

- Class of distributions

$$p(y; \eta) = b(y) \exp(\eta^T T(y) - a(\eta))$$

- Gaussian (1)  $\eta = \mu$  (2)  $T(y) = y$  (3)  $a(\eta) = \eta^2/2$  (4)  $b(\eta) = (1/\sqrt{2\pi}) \exp(-y^2/2)$

- Bernoulli (1)  $\eta = \log(\phi/(1-\phi))$  (2)  $T(y) = y$  (3)  $a(\eta) = \log(1 + e^\eta)$  (4)  $b(\eta) = 1$

Natural parameter

Sufficient statistic

Log partition function

- Generalized linear model assumptions

- Exponential family:  $y|\mathbf{x}; \boldsymbol{\theta} \sim \text{ExponentialFamily}(\eta)$

- Given  $x$ , we want to predict  $E[T(y)|\mathbf{x}; \boldsymbol{\theta}]$

- Linear relationship (here 1-dim):  $\eta = \boldsymbol{\theta}^T \mathbf{x}$

MLE computed by GD for 1 sample

$$\frac{\partial l(\theta_i)}{\partial \theta_i} \propto -[E[T(y)|\mathbf{x}; \boldsymbol{\theta}] - y]x_i$$

- Hypothesis

- Gaussian  $h_{\boldsymbol{\theta}}(\mathbf{x}) = E[y|\mathbf{x}; \boldsymbol{\theta}] = \mu = \eta = \boldsymbol{\theta}^T \mathbf{x}$

- Bernoulli  $h_{\boldsymbol{\theta}}(\mathbf{x}) = E[y|\mathbf{x}; \boldsymbol{\theta}] = \phi = 1/(1 + e^{-\eta}) = 1/(1 + e^{-\boldsymbol{\theta}^T \mathbf{x}})$

# Logistic regression

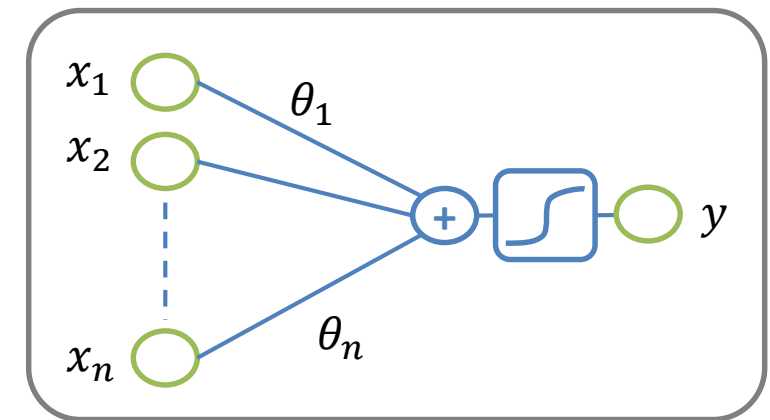
- Bernoulli distribution  $p(y|\mathbf{x}; \boldsymbol{\theta}) = \phi^y (1 - \phi)^{(1-y)}$ 
  - sigmoid as hypothesis  $h_{\boldsymbol{\theta}}(\mathbf{x}) = 1 / (1 + e^{-\boldsymbol{\theta}^T \mathbf{x}}) = \phi$
  - logistic loss (cost)  $e(\boldsymbol{\theta}) = \phi^y (1 - \phi)^{(1-y)}$

- Same form for the GD (result as expected):

$$\theta_i := \theta_i - \alpha [h_{\boldsymbol{\theta}}(\mathbf{x}^{(j)}) - y^{(j)}] x_i^{(j)}, \forall i \in \llbracket 1, n \rrbracket$$

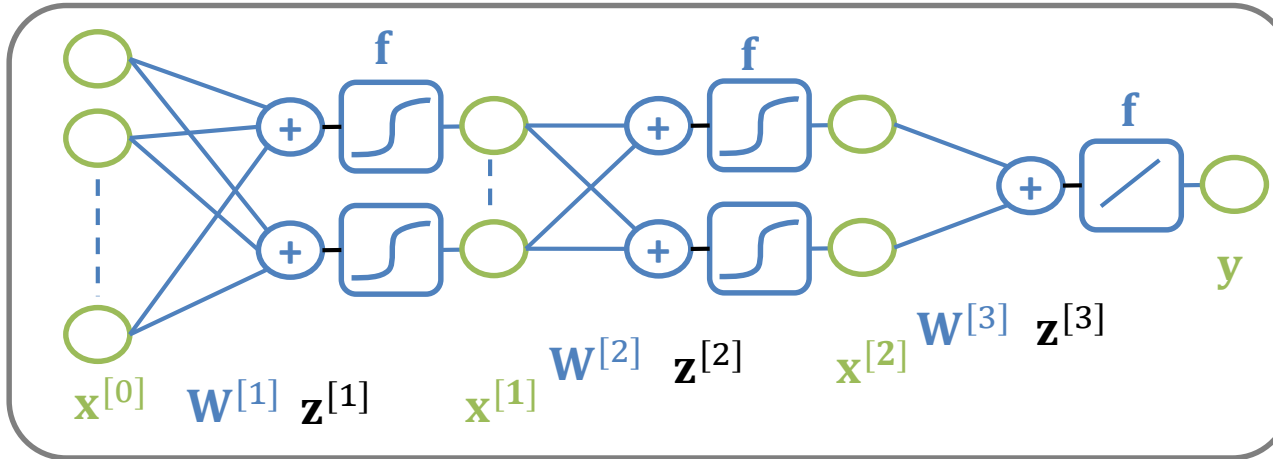
- Perceptron algorithm

$$h_{\boldsymbol{\theta}}(\mathbf{x}) = \begin{cases} 1 & \text{if } \boldsymbol{\theta}^T \mathbf{x} \geq 0 \\ 0 & \text{if } \boldsymbol{\theta}^T \mathbf{x} < 0 \end{cases}$$



- Newton (using the Hessian):  $\boldsymbol{\theta} := \boldsymbol{\theta} - H^{-1} \nabla_{\boldsymbol{\theta}} l(\boldsymbol{\theta})$

# Feed-forward neural network



$$\mathbf{z}_n = \mathbf{W}_n \mathbf{x}_{n-1} \quad \mathbf{x}_n = \mathbf{f}(\mathbf{z}_n)$$

- Backpropagation

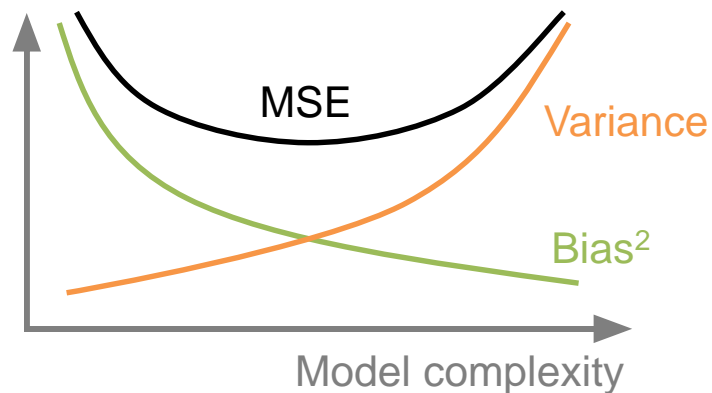
Based on chain rule:

$$\frac{\partial e}{\partial \mathbf{W}^{[1]}} = \frac{\partial e}{\partial \mathbf{y}} \frac{\partial \mathbf{y}}{\partial \mathbf{x}^{[2]}} \frac{\partial \mathbf{x}^{[2]}}{\partial \mathbf{x}^{[1]}} \frac{\partial \mathbf{x}^{[1]}}{\partial \mathbf{W}^{[1]}}$$

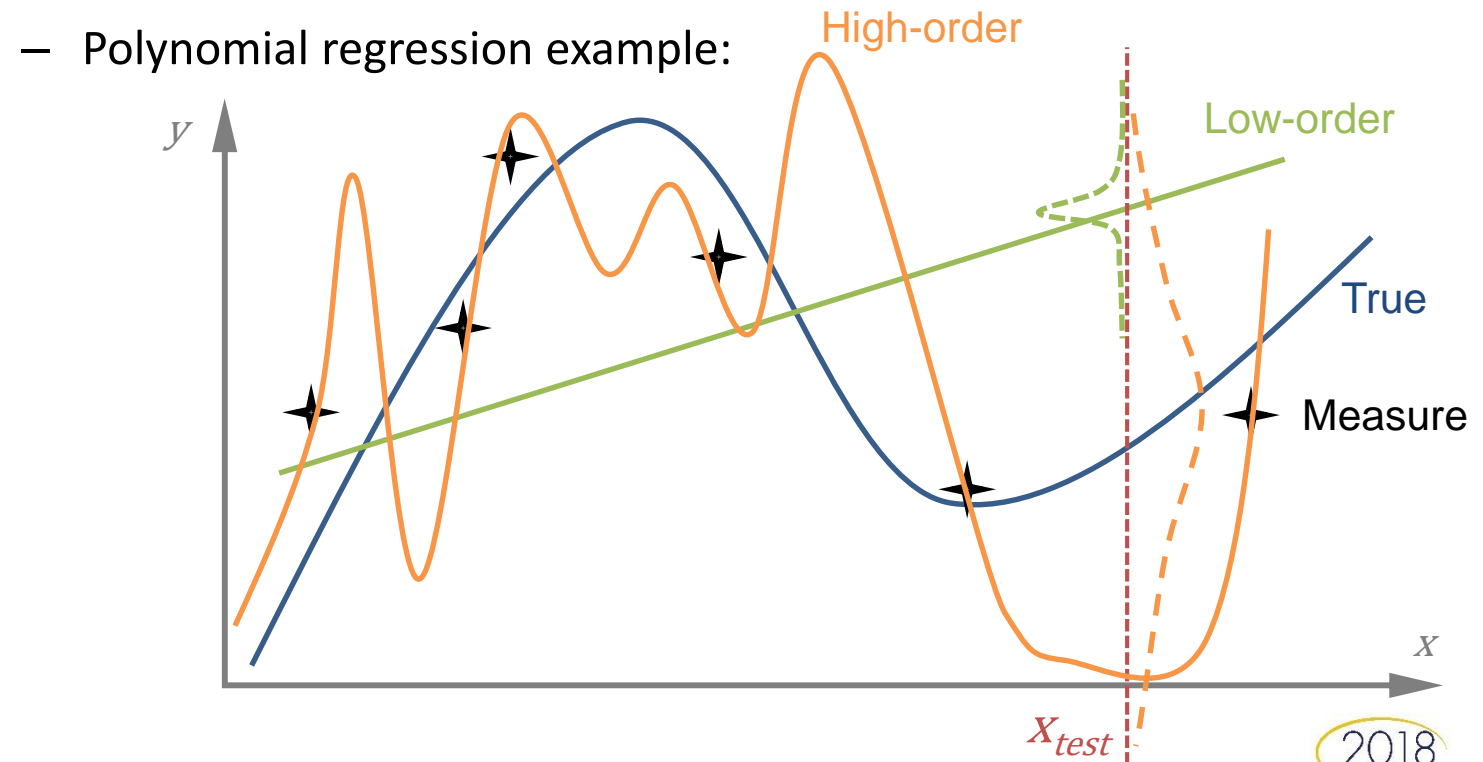
- Terms:
  - Weights, activation or transfer functions
- Universality:
  - Finite single hidden layer networks can theoretically compute any continuous function
- In practice:
  - Normalize and decorrelate inputs, tangent hyperbolic, learning rate per weight, momentum, second-order methods, training and test set

# Bias-variance dilemma

- Mean square error of an estimator  $mse(\hat{y}) = E[(\hat{y} - y)^2|y] = bias(\hat{y})^2 + var(\hat{y})$
- Solution (among others) for model selection



- For neural networks:
  - Training (70%) / validation (15%) / test (15%) split

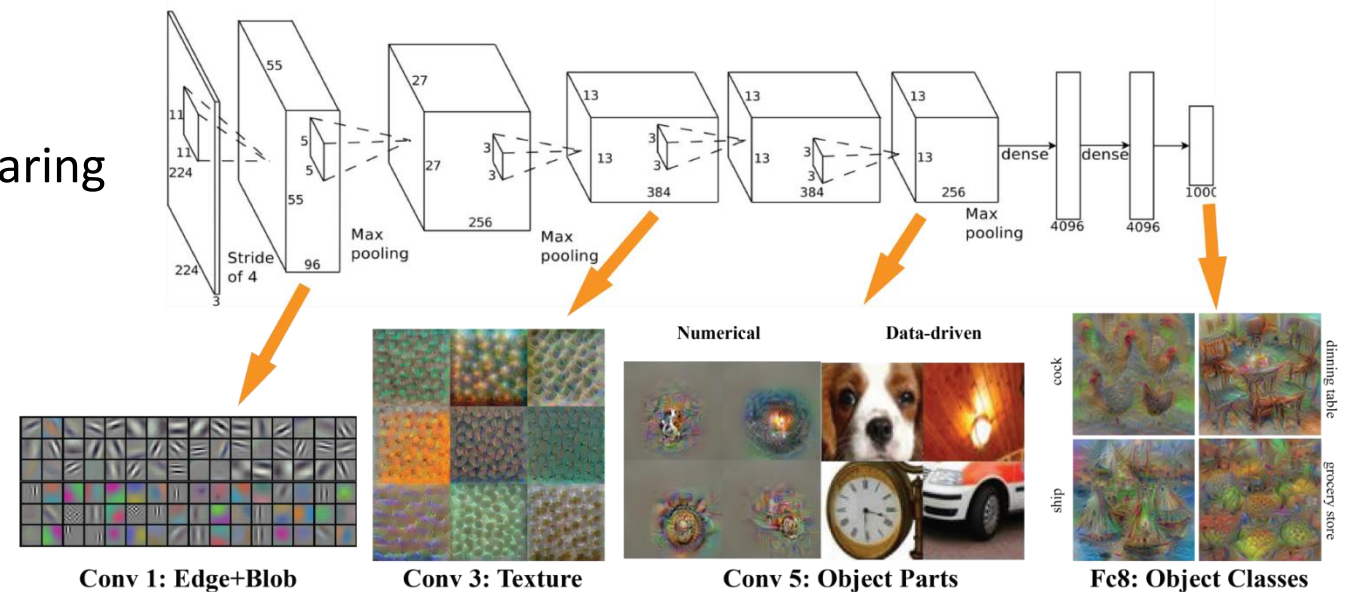
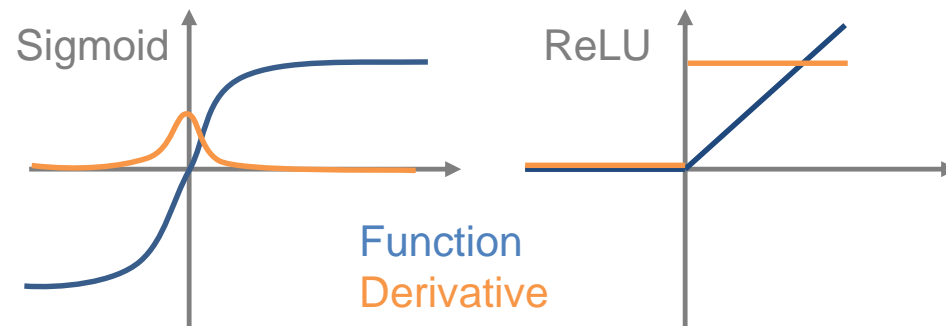


# Convolutional neural networks

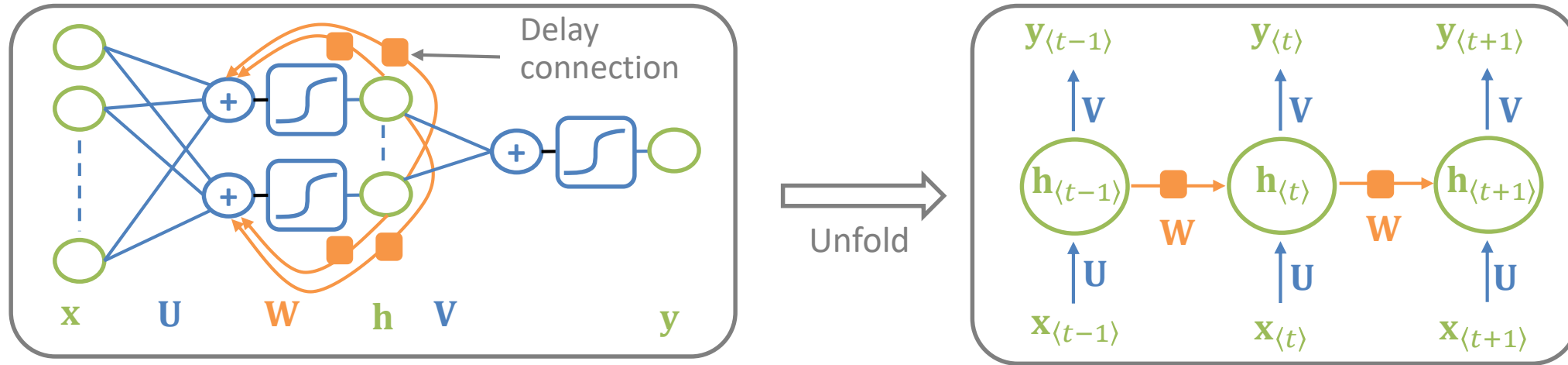
- Deep neural nets suffer from the vanishing/exploding gradient problem

– From chain rule  $\frac{\partial \mathbf{x}_n}{\partial \mathbf{x}_{n-1}} = \mathbf{W}_n^T \mathbf{f}'(\mathbf{z}_n)$  has an important role with many layers

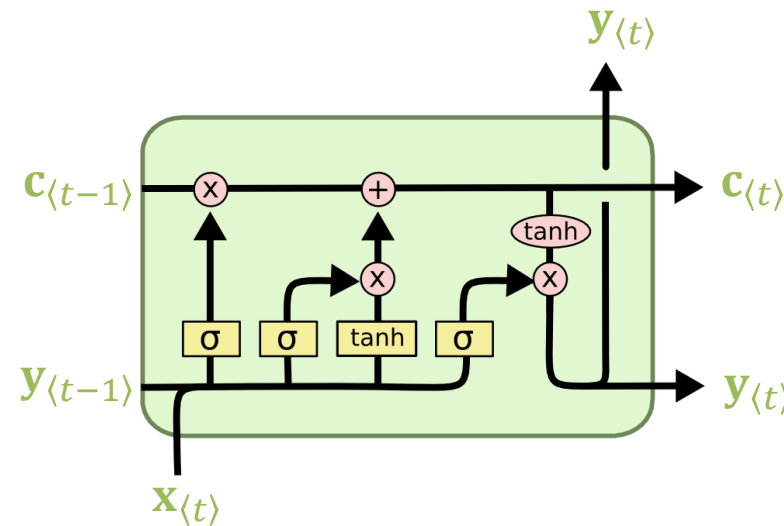
- Convolutional neural nets:
  - Not fully connected nets and weight sharing
  - Rectified linear unit (ReLU) layers



# Recurrent neural networks



- Backprop through time highly sensible to vanishing/exploding gradient
- Solutions
  - Truncate backprop:
    - Different time delays
    - Elman network, Jordan networks
  - LSTM: constant error carousel + forget gate



# Theories of machine learning

Machine learning fundamentals

- Statistical learning theory
  - Given the number of samples and hypothesis space, what is the generalization error bound w.r.t. training error ?
- Computational learning theory
  - Given the hypothesis space and the generalization error, how many training samples are required ?
  - Probably approximately correct (PAC) learning algorithm

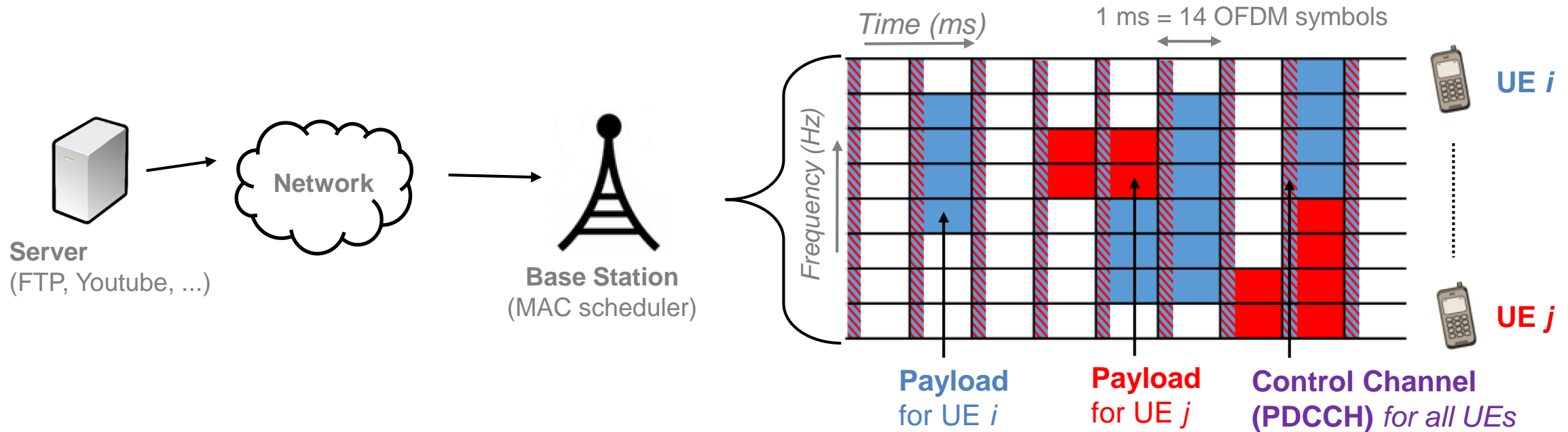
# Agenda

- Machine learning (ML) fundamentals
- ML in practice: Cognitive power control
  - LTE resource allocation and cognitive power control
  - A typical ML workflow and data management
  - Power trajectories and ideal power saving
  - Neural network predictor
  - Reinforcement learning predictor



# LTE resource allocation

Machine learning in practice

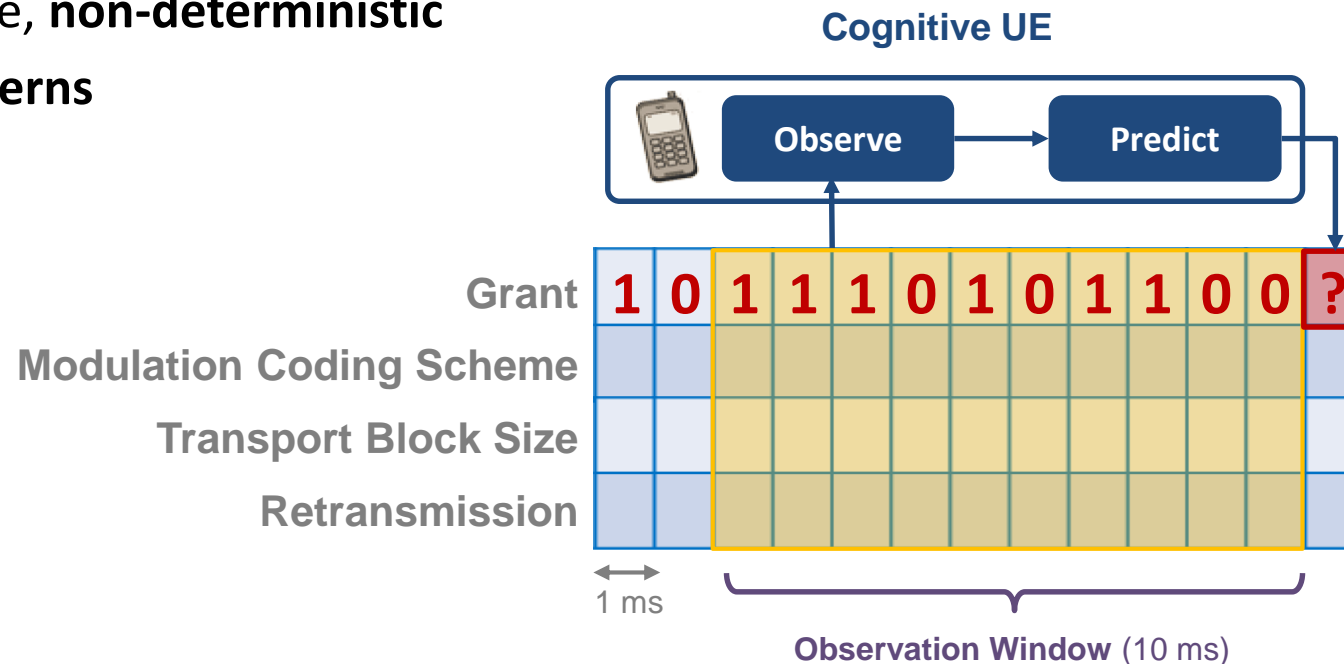


- Every millisecond, the PDCCH should be decoded:
  - **Scenario 1:** The UE has found a grant in the PDCCH and will use it to receive or transmit payload.
  - **Scenario 2:** There is no grant in the PDCCH and power has been used in vain to decode the PDCCH.

# Cognitive power control

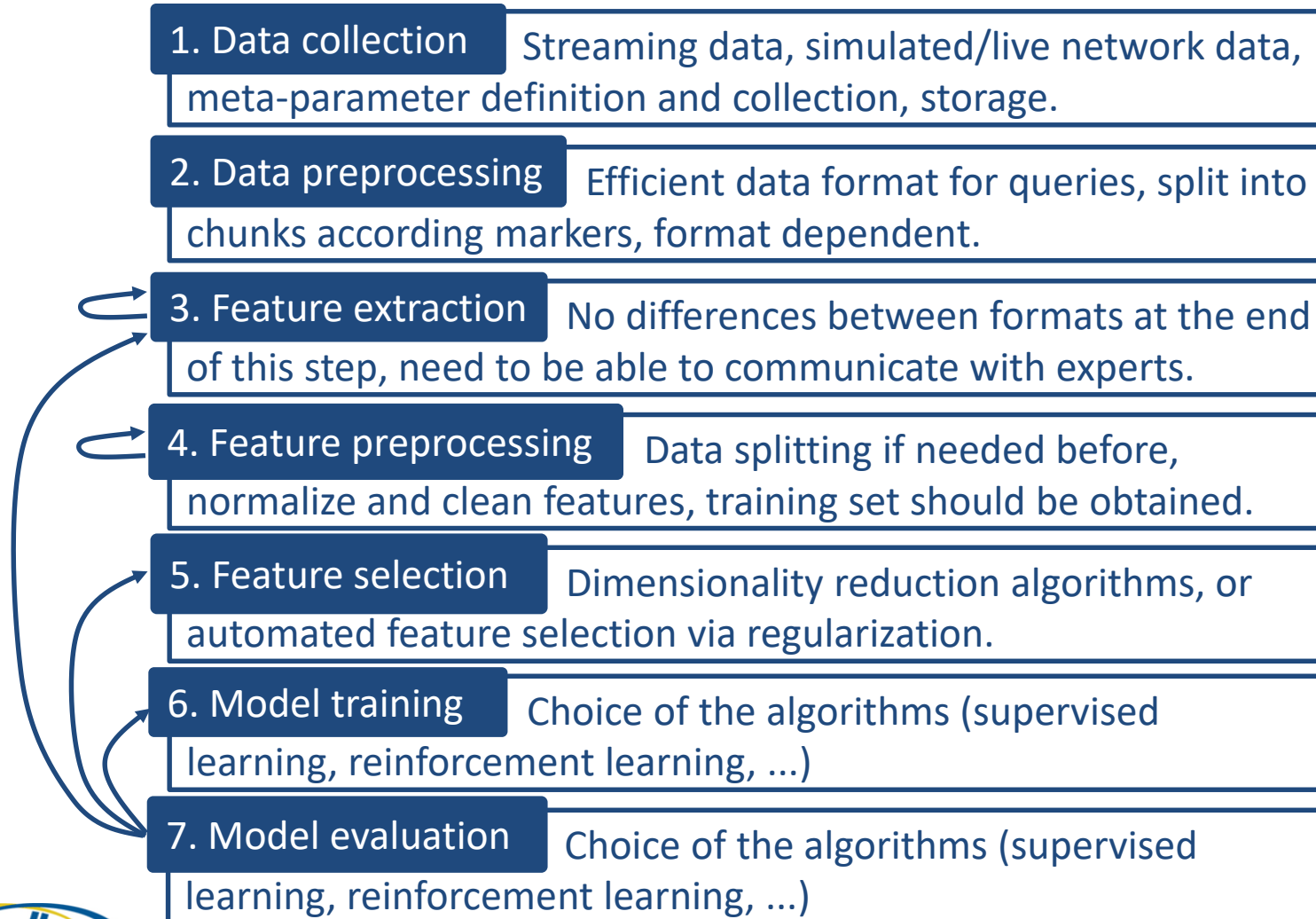
Machine learning in practice

- If a UE knows in advance that it won't receive any grants in the next millisecond, it can **avoid PDCCH decoding**, and therefore save power.
- The base station **MAC scheduler** distributes payload data and grants
  - From UE perspective, **non-deterministic traffic timing patterns**



# A typical ML workflow

Machine learning in practice



## Observations:

- Machine learning is inherently an **iterative** exploration
- Efficient **infrastructure** needed (step 1 and 2)
- **Expert knowledge** is mandatory (step 3)
- Always prepare for **scalability** (step 6)
- **Visualize** and analyze samples (step 3, 4 and 7)
- **Manage meta-parameters** (step 1, 2 and 7)

# Data management

Machine learning in practice

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## Summary

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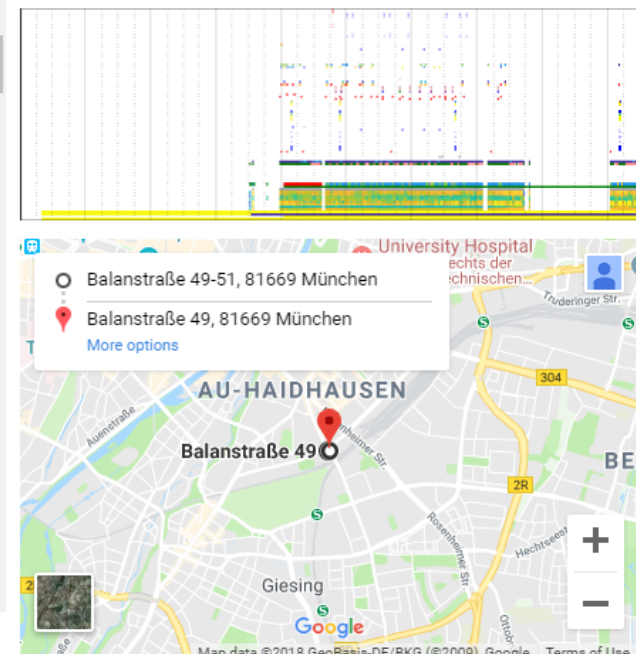
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shapeFile	campTag	lastStartPos	firstStartPos	shapeTag	firstStartTime	colTag	deltaStartTime

## Details

Search:

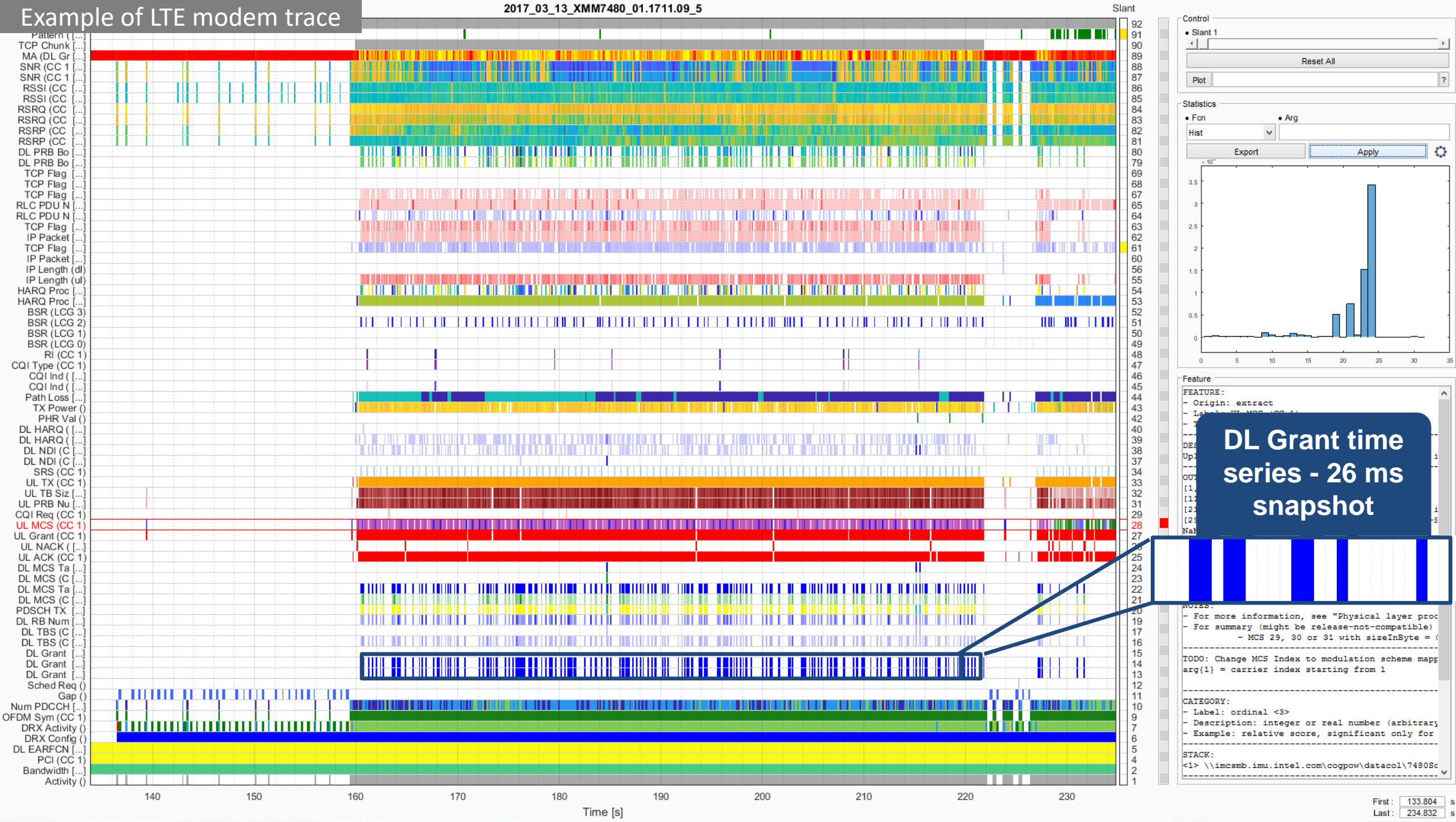
Name	Value
campMsg	
campTag	WorkToHome
colTag	default
deltaStartTime	18.0
device	iPhone-2260904b
firstStartPos	[48.123701,11.597250]
firstStartTime	1535386146.0

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# Example of LTE modem trace





# Power trajectories

Machine learning in practice

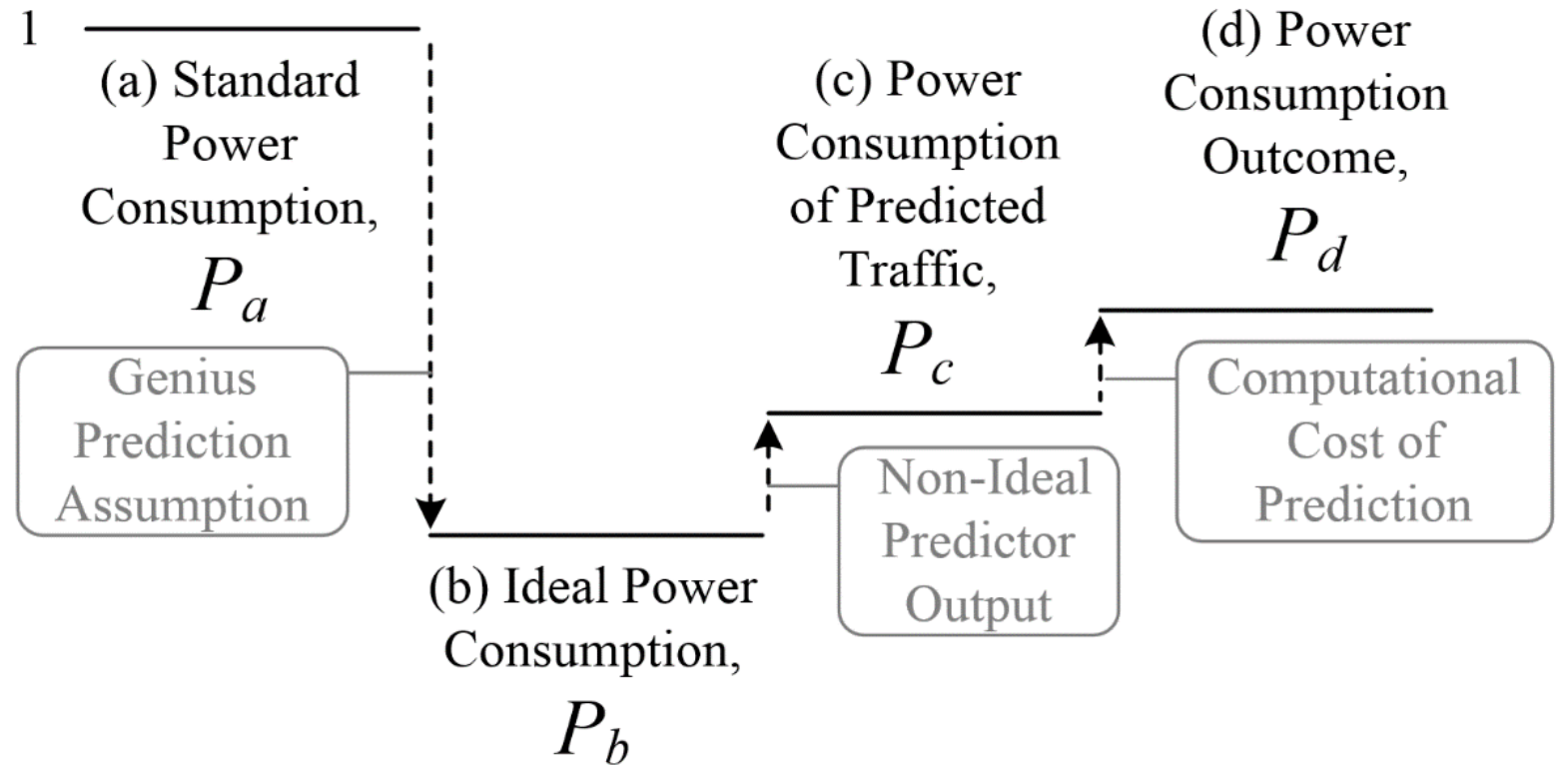
**Goal** Estimation of the power saving enabled by a ML algorithm at design time without demonstrator.  
[14]

$P_a$  Power consumption of standard behavior

$P_b$  Power saving potential

$P_c$  Power saving with including prediction errors

$P_d$  Total estimated power saving



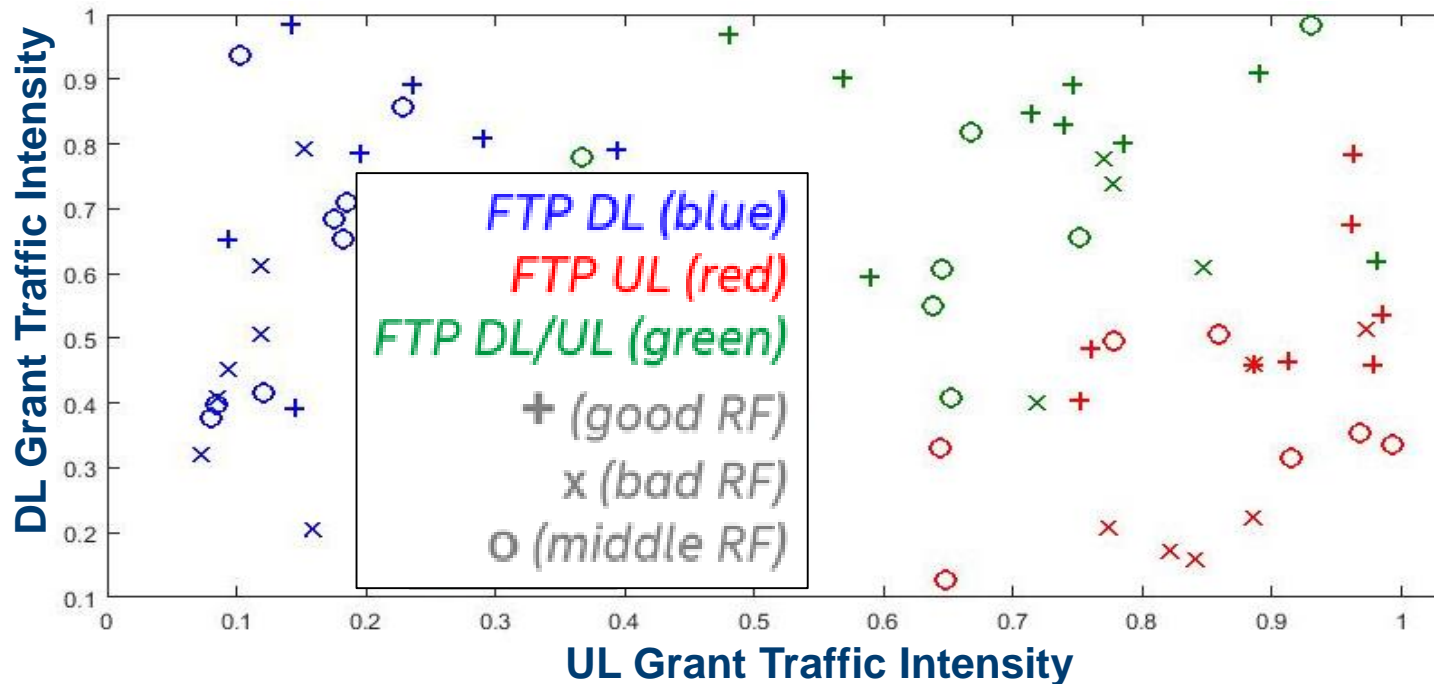
# Modem trace data set

Machine learning in practice

**Goal** Data set from Intel® XMM™ 7480 Modem for LTE-Advanced Services [15] trace server

(6 PB/week; 1 trace ~ 500 MB)

- Different places and operators
- Traffic type (FTP DL, FTP UL, FTP UL/DL)
- Radio conditions (far cell, near cell, middle)
- Other requirements (e.g., SW build, CA config)
- 73 traces selected from ~100000 traces

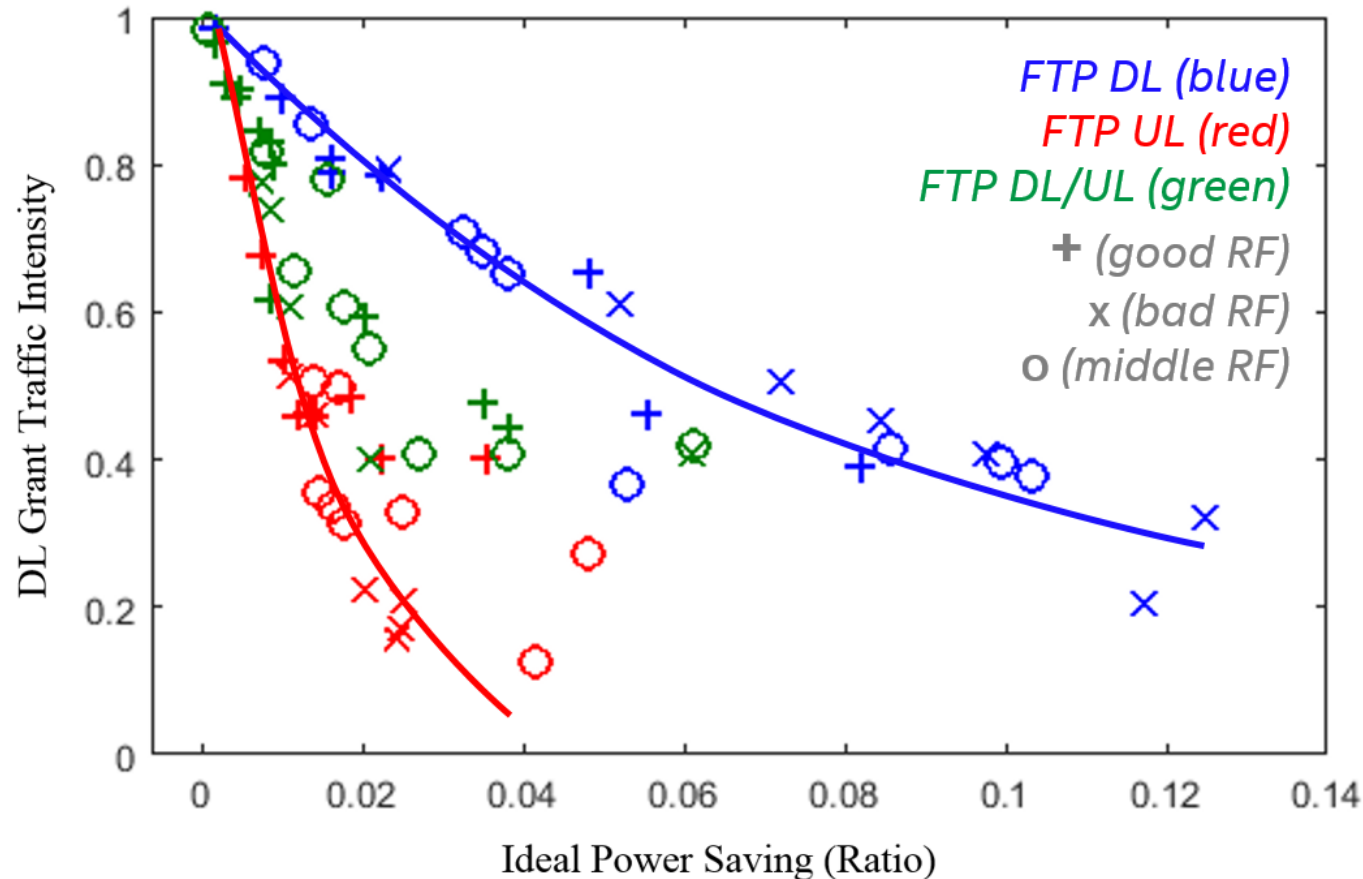


# Ideal power saving

Machine learning in practice

## Goal

Estimation of the ideal power saving given live network traces assuming genius prediction

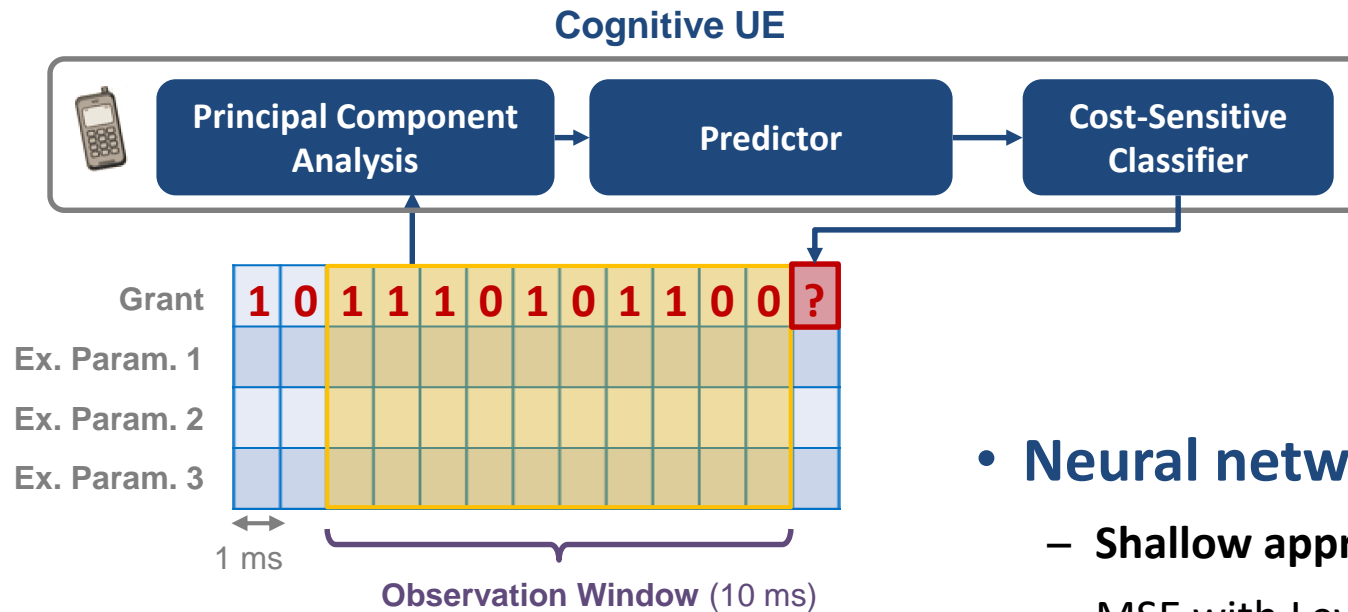


- **FTP DL traces are more promising** than FTP UL ones due to the large power contribution of UL payload data transmission
- **Bad RF conditions** lead to a more sporadic reception, i.e., more power saving opportunities
- Up to **12% modem power saving** potential by optimizing PDCCH monitoring



# Prediction approach

Machine learning in practice



- **Parameter selection**

- Relevant parameters to infer scheduling
  - Modulation coding scheme
  - Number of resource blocks
  - Re-transmission occurrences

- **Neural network predictor**

- **Shallow approach:** 2 hidden layers of 15 and 20 neurons
- MSE with Levenberg-Marquardt backpropagation
- **Linear output activation function:** Better separability

**2% mean FNR**

- **Cost-sensitive classifier**

- **Cost imbalance** between false negatives and false positives, i.e., missing a grant implies throughput degradation.
- **Cost-sensitive classification** uses decision theoretic approach to define a threshold on the neural network output

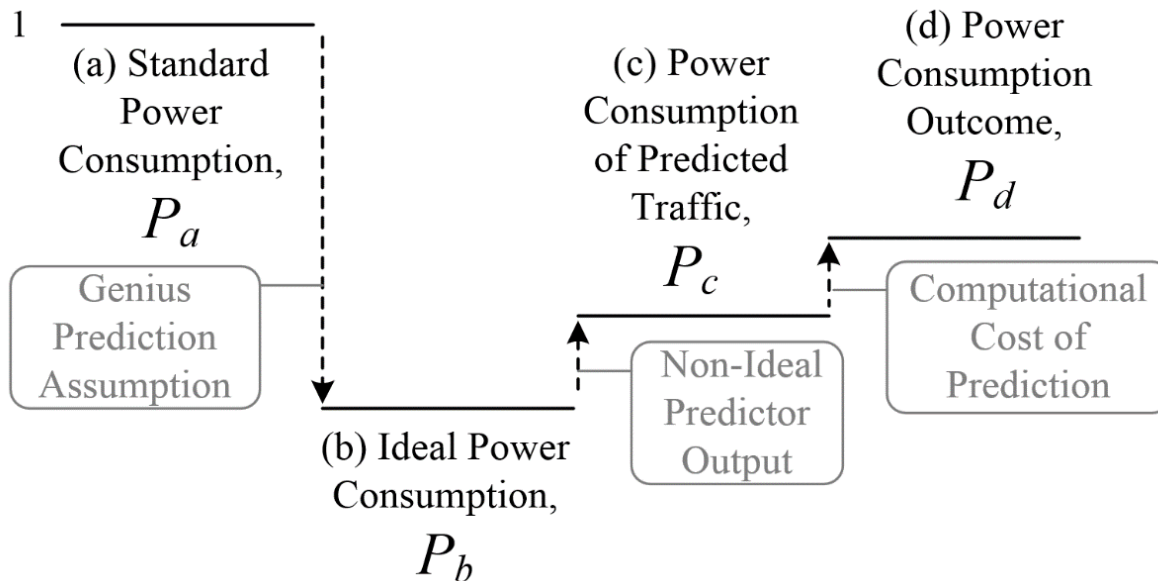
# System design

- Computational complexity
  - Typical baseband DSP at **300 MHz**
  - Power consumption of **1 mW/MHz** [1]
  - **No instruction optimizations**: SIMD, vector floating point unit
  - 5 kFLOPs for one prediction: **2 % of a typical DSP time budget**
  - 5 GFLOPs for training: Other approaches should consider the **online/offline training trade-off**
- Increase of the classical EDA complexity
  - Area vs. power vs. delay vs. **tolerated error rate** (and its impact on the overall system)
  - Account for the undeterministic nature of such system, assess the **reliability of simulated data**
- Synergies among ML applications
  - Exploitation of the **similarities** between classical machine learning algorithms

Arithmetic Operation	Complexity
Addition	1 FLOP
Subtraction	1 FLOP
Multiplication	2 FLOPs
Division	4 FLOPs
Exponential	8 FLOPs

# Supervised predictor performance

Machine learning in practice



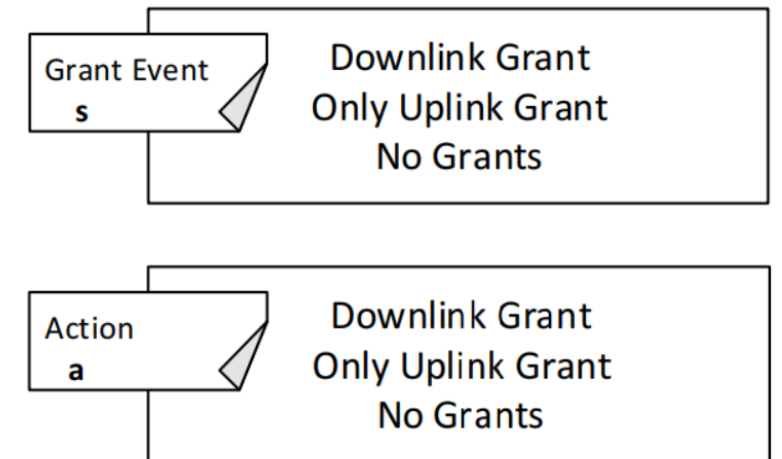
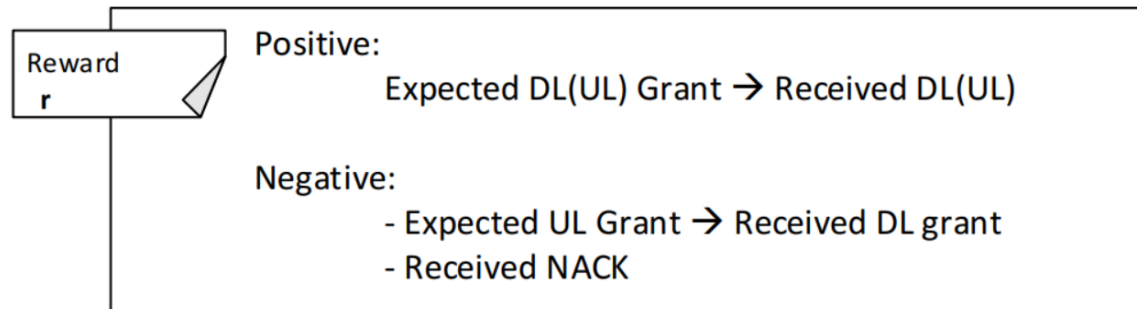
## • Main results

- **12% maximal potential power saving**
- **2% mean FNR**
- **2% DSP time budget**
- **1,7% mean power increase** compared to ideal power consumption
- **Traffic dependent performance** but promising results for well-defined traffic scenarios

# Reinforcement learning approach [16]

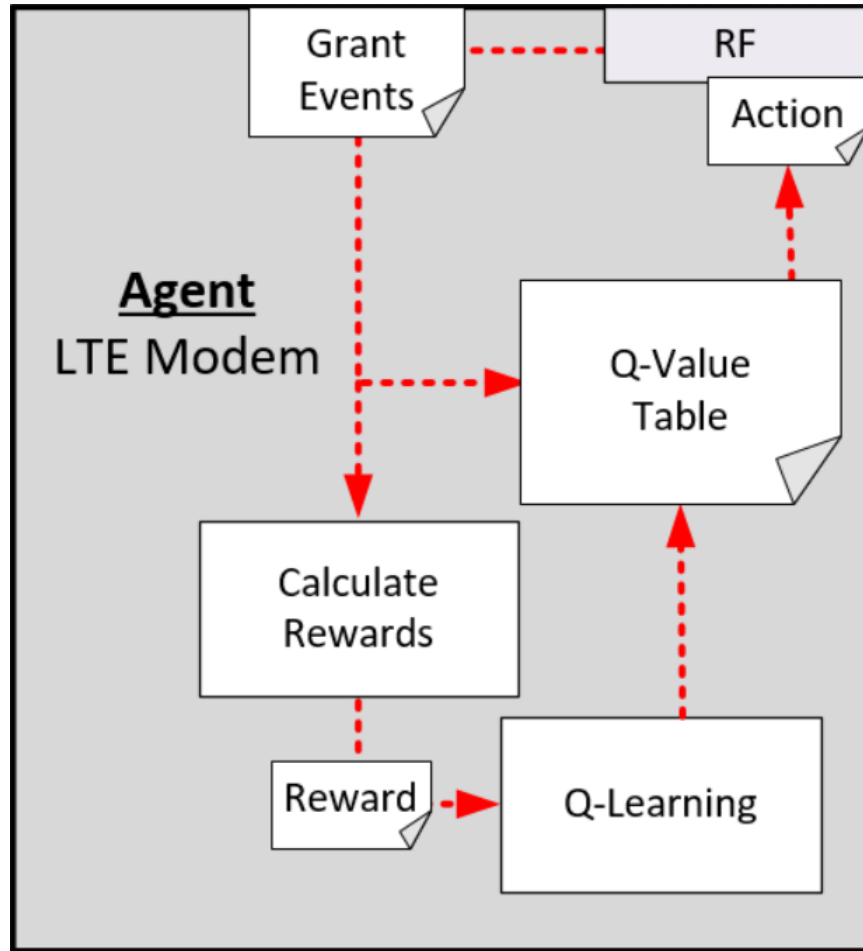
Machine learning in practice

- Variable cell behavior:
  - Online training, but high power consumption for NN
- NS3 simulator:
  - No live network testing possible
- Q-learning:
  - Light-weight through tabular representation, e.g. Q-learning



# Q-learning

Machine learning in practice



Q-Value  $Q(s,a)$

$3^{N+1}$  Entries

For each input(and history) the estimated Long-term reward for each action

Q-Learning

$$Q'(s,a) = (1 - \alpha) \cdot Q(s,a) + (\alpha \cdot \max_a Q(s',a') \cdot \gamma + r)$$

# Conclusion

- Machine learning system
  - Built with **data**, **statistical tools**, robust **workflow** and **expert knowledge**
- Machine learning for power saving
  - **Scenario-specific** trace data collection
  - **Power model** at dedicated abstraction level
  - **Power consumption** estimation of ML algorithms at design time
  - **Power trajectories** for end-to-end power saving estimation
- Cognitive power control outlook
  - Qualify and quantify **network reactions** with network simulator
  - **Online/offline trade-off** through reinforcement learning
  - **Accuracy improvement** with traffic classifier, statistical modeling and LSTM
  - Divide-and-conquer approach with federated learning and trace segmentation

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# Questions